Radiation Therapy Dose Response Modeling and Optimization of Fractionation Schedules with Cancer Stem Cells

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UCLA Health [1] Reya T et al., Nature 2001 [2] Clarke MF et al., Cancer Res 2006 [3] Baumann et al. Nat Rev Ca 2008



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Al-Hajj et al., PNAS 2003. Ginestier et al., Cell Stem cell 2007 6



Radiation-Induced reprogramming of non-stem differentiated cancer cells into CSC · Irradiation on isolated non-stem cancer cell Increase in glucose uptake with reprogramming population Reprogrammed CSC population proportional **F** IR 0 Gy # 0Gy ● 8Gy 8 G .50 .25 1.00 0.75 · Observed in multiple • Breast^{[1][2]} Glioma^[3]
 Head & Neck^[4] UCLA Health Lagadec et al., Stem Cells 2012 [2] Vlashi et al., Breast cancer res. & trmt 2014
 Vlashi et al., IJROBP 2016 8

Mathematical modeling of CSC dynamics

- Utilize mathematical models to describe the complex characteristics of CSC and the dynamic interaction between CSC and non-stem DCC
- Mathematical models allow for exploration and optimization of dose fractionation schedules

9

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|--------|--------|--------|--------|--------|-------------|
| Week 1 | Week 2 | Week 3 | Week 4 | Week 5 | Week 6 Time |

10

11

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Mathematical modeling of CSC dynamics

· Utilize mathematical models to describe the complex characteristics of CSC and the dynamic interaction between CSC and non-stem DCC





Biological model with CSC

- Development of a biological radiotherapy treatment response modeling with CSC characteristics
 - Dual compartment Linear Quadradic Model (DLQ)
 Incorporating Cancer Stem Cells in Radiation
 Therapy Treatment Response Modeling and
 the Implication in Glioblastoma Multiform
 Treatment Resistance
 Wickork Xupekian, MD, Tanis Kaperatan, MD, Michael Seich, MD,
 Daaleid. A. Low, PhD, and Ko Sheng, PhD
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ODE model: interplay of CSC and DCC



$$\label{eq:self-Renewal} \begin{split} & \textbf{Self-Renewal} \\ \dot{U}(t) &= (2P-1)m_{U}k\big(W(t)\big)U(t) \\ & \textbf{Differentiation from CSC} \\ \dot{V}(t) &= 2(1-P)m_{U}k\big(W(t)\big)U(t) \\ & +m_{V}k\big(W(t)\big)V(t) - a_{V}V(t) \\ & \textbf{DCC Growth} \quad \textbf{DCC natural cell death} \end{split}$$

death W(t) = U(t) + V(t) $K(W) = \max\{1 - W^4, 0\}$

• P = probability a CSC gives rise to two CSC

• 1-P = probability CSC differentiates

- m_{U} = CSC growth rate, m_{V} = DCC growth rate, a_{V} = DCC natural cell death rate - Based on potential doubling time of different tumors

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Bachman JW et al., Front Oncol 2013; 3:52. Hillen, T et al., Bull Math Biol. 2013; 75:161-84 Yu VY et al., Int J Radiat Oncol Biol Phys 2015

13

Determining radiosensitivity parameters with dual-compartment LQ model

$SF(D) = F \cdot \exp\{-\alpha_{CSC}D - \beta_{CSC}D^2\} + (1 - F) \cdot \exp\{-\alpha_{DCC}D - \beta_{DCC}D^2\}$ F = 0.016, $\alpha_{CSC} = 0.01$, $\beta_{CSC} = 1.77E-7$, $\alpha_{DCC} = 0.125$, $\beta_{DCC} = 0.028$



- Linear-Quadratic (LQ) model incorporating radiological parameters for CSC and DCC
- Curve fitting to published clonogenic survival data of 7 human cell lines

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Yu VY et al., Int J Radiat Oncol Biol Phys 2015





Model predicts poor GBM response for conventional and hypo-fractionated^[1] treatments · Hypo-fractionation achieves dramatically better tumor control for



· Both observations coincide with 17



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18

Compartmental FSO

 Heterogeneous tumor containing subvolume with higher tumor proliferation or aggressiveness
 Simultaneous integrated boost (SIB)

• Optimize fractionation schedule with two different doses at each fraction

 $\bullet D_{NB} = \text{dose to non-boost volume}$

 $\bullet D_{SIB} = {\rm dose \ to \ boost \ volume}$



19

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Problem Setup • Variables • Dose fraction sizes: D_{SIB} D_{NB} (length n) • Time interval between fractions: T (length n-1) $(D_{SIB})_{n-2} (D_{SIB})_{n-1} (D_{SIB})_n$ $(D_{NB})_{n-2} (D_{NB})_{n-1} (D_{NB})_n$ Boost volume $(D_{SIB})_1(D_{SIB})_2(D_{SIB})_3(D_{SIB})_4(D_{SIB})_5$ Non-Boost $(D_{NB})_1 (D_{NB})_2 (D_{NB})_3 (D_{NB})_4 (D_{NB})_5$ $\downarrow T_1 \downarrow T_2 \downarrow T_3 \downarrow T_4 \downarrow$ T_{n-2} T_n Post-surgery ŏ 30 RT start time Time (Days) 30+L RT endpoint Assign total treatment course duration: L • Fixed number of dose fractions: n UCLA Health

Radiation-induced cell reprogramming

- Based on evidence suggesting DCC reprograms back into CSC after radiation exposure
- Reprogramming rate proportional to dose received^{[1][2]} • Linear-Quadratic Radiation killing^[3] + cell reprogramming
- $U(t) = U_0 \exp\{-\alpha_{CSC}(D)_i \beta_{CSC}(D)_i^2\} + \text{Reprogramming}$
- $V(t) = V_0 \exp\{-\alpha_{DCC}(D)_i \beta_{DCC}(D)_i^2\} \text{Reprogramming}$
 - **Reprogramming** = $c \cdot (D)_i \cdot V_0 \exp\{-\alpha_{DCC}(D)_i \beta_{DCC}(D)_i^2\}$ Linear reprogramming coefficient

Dose dependence



FSO outcome definition (Recurrence Time) Vital Tumor Volume vs. Time 2.8 x 10⁹ Tumor Cell # 10 Total Cell# Time point at which total cell D_{NB} 11 number exceeds 2.8 x 10^{9 [1]} للببليلية البليلية والترابية 1.5 x 10⁷ 150 200 250 300 350 400 Time (Days) Recurrence Time UCLA Health [1] Marko NF et al., J Clin Onc. 2014 23

Optimization problem constraints

 $\begin{array}{l} \underset{D_{SIB},D_{NB},T}{\operatorname{argmax}} \quad \operatorname{Recurrence Time}(D_{SIB},D_{NB},T) \\ \text{subject to} \quad \sum_{l=1}^{n} (D_{SIB})_{l} + \frac{(D_{SIB})_{l}^{2}}{\alpha/\beta} \leq \operatorname{BED}_{SIB} \quad \sum_{l=1}^{n} (D_{NB})_{l} + \frac{(D_{NB})_{l}^{2}}{\alpha/\beta} \leq \operatorname{BED}_{NB} \\ D_{min} \leq D_{SIB}, D_{NB} \leq D_{max}, \quad \sum_{l=1}^{n-1} T_{l} = L, \quad L_{s} \leq T \leq L, \\ \frac{1}{r} \leq \frac{(D_{SIB})_{l}}{(D_{NB})_{l}} \leq r \qquad \qquad for \ i = 1..n \\ \bullet \quad \operatorname{Biological effective dose to both compartments. } \alpha/\beta = 3 \\ \bullet \quad L = \operatorname{Total treatment duration} \end{array}$



Patient-specific biological models

- Individual patient time to recurrence (n = 7)
- Actual received dose fractionation scheme

 $\scriptstyle \bullet 1.8 ~ \text{Gy} \times 33$ • 2 Gy × 30

- · Fit original ODE + radiation killing and reprogramming model • Initial number of viable tumor cells (N_V)
 - Potential doubling time

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Patient-specific SIB

- Non-boost volume (NB)
 - · Original planning target volume (PTV) receiving dosage identical to original prescription
- Simultaneous integrated boost (SIB)
 - · Derived from eventual recurrence volume
 - Transferred to original planning CT via rigid registration
 - 3 mm expansion of transferred volume



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- Solve achievable SIB dose (SIB_{op}) with 4π optimization formulation maximizing SIB dose

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Fractionation schedule optimization

Volume initialization

- ${\boldsymbol{\cdot}}\,{\rm SIB}$ volume with higher concentration of CSC
- Study the potential benefit from wide range of concentrations • m = CSC concentration enhancement multiplier in SIB

• R = volume fraction of SIB out of total treated volume



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28















Large fraction in beginning Relatively similar doses for the remaining fractions Dense once per day treatment in the beginning

33

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GBM preclinical modeling and validation

Mathematical Modeling of PDGF-Driven Glioblastoma Reveals Optimized Radiation Dosing Schedules

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GBM Stem cell enrichment (CD133+) associated with increased survival



Stem cell population (CD133+ enrichment has higher replicative potential but are also slower glowing

 Not a good strategy for cure but for GBM patients with poor prognosis, it might be a strategy to delay onset of tumor progression and death

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Pallini et al., Cancer 2011 38





Conclusion

- Mathematical modeling of CSC dynamics provides insight on treatment strategies
 - Reflected the definitive treatment failure of GBM while demonstrating superior outcome with hypofractiontion in NSCLC
- Treatment fractionation schedule optimization could be further explored to improve treatment outcome
- · Preclinically validated for GBM with ongoing trial in human · Combination of key radiobiological concepts with mathematical modeling and optimize treatment strategies could make a large impact in improving treatment outcome

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RADIATION CONCOLOGY

40

41

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