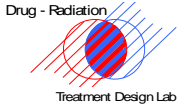


Modeling of Therapy Response in Oncology

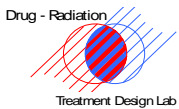
Clemens Grassberger



AAPM 2019 – San Antonio, TX

Modeling of Therapy Response in Oncology

Clemens Grassberger



AAPM 2019 – San Antonio, TX

Outline

- Introduction / Motivation
- Dynamic models
 - chemo-radiation as an example
- Modeling molecularly targeted agents
 - deriving population dynamics from macroscopic tumor volume trajectories
- Modeling Immunotherapy (+RT)
- Conclusion & Discussion

Introduction

- Mathematical modeling & optimization plays a large role in radiotherapy
 - Delivery – treatment planning
 - Fractionation – NTCP/TCP trade-offs
 - Target dose – BED
 - MCO – OAR tradeoffs
- Emerging also for design of drug regimen (#mathonco)



Aim: introduce a cross section of mechanistic mathematical models for trial design & patient-specific treatment adaptation



Mechanistic Mathematical Modeling & its place in the ecosystem



- Clinical Observations**
on different scales:
- Outcome
 - Imaging
 - Omic / biomarker



- Improved treatment**
- Treatment scheduling
 - Combination treatments
 - New compounds
 - Drug dynamics

Figure idea
Ryan O Schenk
@research_junkie



Mechanistic Mathematical Modeling & its place in the ecosystem



- Clinical Observations**
on different scales:
- Outcome
 - Imaging
 - Omic / biomarker

- Statistical Modeling**
- What and when?
 - Observed relationship

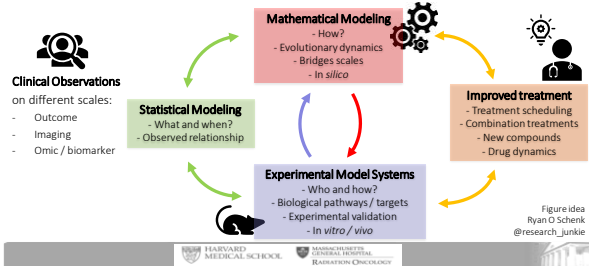


- Improved treatment**
- Treatment scheduling
 - Combination treatments
 - New compounds
 - Drug dynamics

Figure idea
Ryan O Schenk
@research_junkie



Mechanistic Mathematical Modeling & its place in the ecosystem



Modeling interaction of chemotherapy & radiation

- Simplest way to quantify the effect: Hazard Ratio

	66 Gy (n=137)	74 Gy (n=101)	Control (n=137)	No metastasis (n=200)
Overall	137	100	140	135
1 year	85 (61.34%)	60 (60.00%)	52 (37.14%)	72 (53.33%)
2 year	57 (41.61%)	44 (43.56%)	32 (22.86%)	50 (37.04%)
Median survival	28.1 (24.6-31.6)	30.3 (27.0-33.6)	15.0 (10.0-20.0)	24.0 (20.0-28.0)
HR	1.81 (1.57-2.10)	1.92 (1.62-2.27)	-	-
HR (95% CI)	1.81 (1.57-2.10)	1.92 (1.62-2.27)	-	-
p-value (log-rank test)	0.004	-	0.29	-

Brody et al. (2012) Lancet

Modeling interaction of chemotherapy & radiation

- Simplest way to quantify the effect: Hazard Ratio

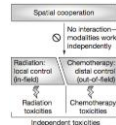
- Include them in TCP models

- Independent action

Chemo-only survival Radiation-only survival

$$OS = CS + RS(1 - CS)$$

chemo equals a dose of X GyE



Sawyer et al. (2007) Nat Clin Oncol

Modeling interaction of chemotherapy & radiation

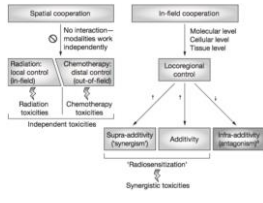
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Independent action
 Chemo-only survival Radiation-only survival
 $OS = CS + RS(1 - CS)$
 chemo equals a dose of $\alpha \text{ GyE}$

- Radiosensitization: $TCP = f(BED)$

$$BED = f_r D_r \left(1 + \frac{f_c \times d}{\alpha/\beta} \right) \frac{\ln 2}{\alpha} \cdot \frac{T}{T_d}$$

Radiosensitization factor: f_c



Modeling interaction of chemotherapy & radiation

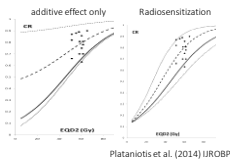
- Simplest way to quantify the effect: Hazard Ratio
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Independent action
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Radiosensitization factor: f_c

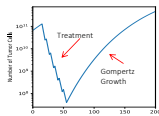


Dynamic Models of Therapy

- formulations often based on ordinary differential equations
 - Tumor growth: Gompertz
 - Radiation cell kill - Linear-Quadratic: $SF = e^{-(\alpha D + \beta D^2)}$
 - Chemo cell kill - Log cell kill: $SF = e^{-\alpha D(t)}$

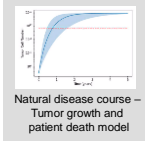
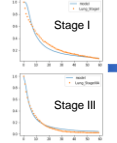
$$\frac{dN}{dt} = rN(t) \log\left(\frac{K}{N(t)}\right) - b_c C(t)N(t) - (\alpha D + \beta D^2)N(t)$$

Growth: Gompertz
 Chemotherapy: LOG cell kill
 Radiation: Linear Quadratic



Modeling Multi-Modality Therapy for NSCLC

Survival of untreated patients



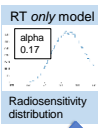
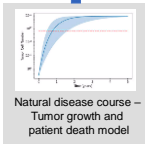
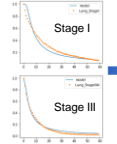
$$\frac{dN}{dt} = rN(t)\log\left(\frac{K}{N(t)}\right) - b_2C(t)N(t) - (aD + bD^2)N(t)$$

Geng et al. Scientific Reports 2017



Modeling Multi-Modality Therapy for NSCLC

Survival of untreated patients



$$\frac{dN}{dt} = rN(t)\log\left(\frac{K}{N(t)}\right) - b_2C(t)N(t) - (aD + bD^2)N(t)$$

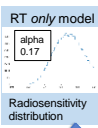
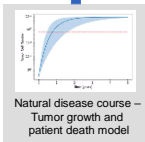
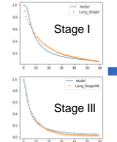
RTOG 8808 radiation-only trials

Geng et al. Scientific Reports 2017



Modeling Multi-Modality Therapy for NSCLC

Survival of untreated patients

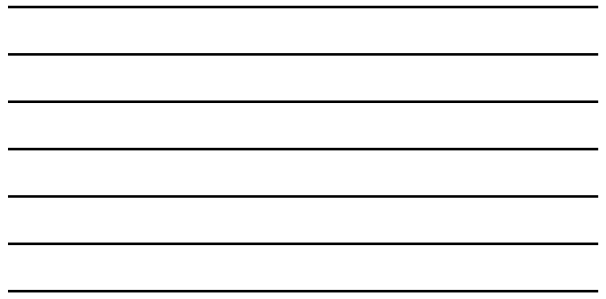
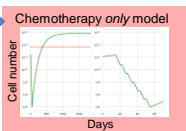


$$\frac{dN}{dt} = rN(t)\log\left(\frac{K}{N(t)}\right) - b_2C(t)N(t) - (aD + bD^2)N(t)$$

RTOG 8808 radiation-only trials

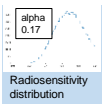
sequential chemo-radiation (RTOG 9410) & chemo-only trials

Geng et al. Scientific Reports 2017



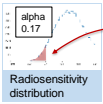
Dynamic Models of Therapy

- Explicitly time-dependent
 - ability to explore different sequencing options
 - Uses underlying clinical data for fitting more effectively
- Based on distributions of parameters describing a heterogeneous patient population
 - Pro: Monte Carlo sampling techniques for more accurate sample size calculations
 - Con: not possible to make patient-specific predictions due to unknown patient-specific parameters;



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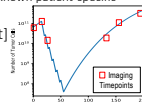
Radiosensitivity Index (RSI)
A genome-based model for adjusting radiotherapy dose (GARD): a retrospective, cohort-based study
Journal of Clinical Oncology, 2015; 33(26):3605-3612. doi:10.1200/JCO.2015.33.3605. Copyright © 2015 by American Society of Clinical Oncology. All rights reserved. For information on this study, please contact: Robert J. Gray, MD, Dana-Farber Cancer Institute, Boston, MA; or Robert J. Gray, MD, Dana-Farber Cancer Institute, Boston, MA.



Dynamic Models of Therapy

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- Explicit modeling of tumor dynamics over time $[dN(t)/dt]$

enables connection to individual tumor trajectories via serial imaging studies

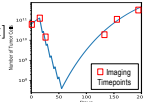


Dynamic Models of Therapy

- provides a framework to include other modalities, such as targeted agents

$$\frac{dN}{dt} = rN(t)\log\left(\frac{K}{N(t)}\right) - b_c C(t)N(t) - (aD + bD^2)N(t)$$

- Explicit modeling of tumor dynamics over time $[dN(t)/dt]$ enables connection to individual tumor trajectories via serial imaging studies



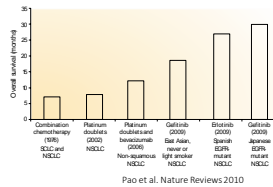
Outline

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Targeted Therapy

- Very successful in Non-Small Cell Lung Cancer (NSCLC)

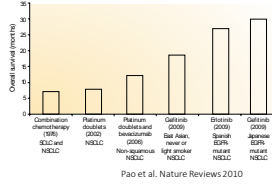
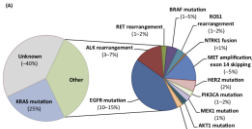


Pao et al. Nature Reviews 2010



Targeted Therapy

- Very successful in Non-Small Cell Lung Cancer (NSCLC)
- Main oncogenic driver mutations for which FDA-approved inhibitors exist: EGFR & ROS/ALK



- better toxicity profiles
- different mode of administration to chemo; not IV in cycles, but daily oral uptake

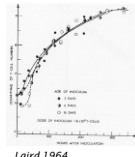
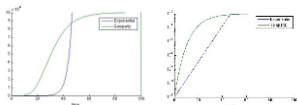
Lin et al. Trends in Cancer 2016, Vol. 2, No. 7



Targeted Agent Effect Models

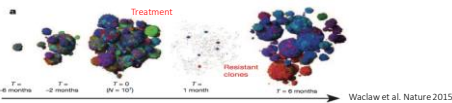
- Similar to chemo, but need something additional → resistant sub-populations
- Modeling more sensitive to exact growth models
 - exponential growth is bad approximation over long time periods
 - more realistic growth models exhibit decreasing growth rate with increasing tumor size
 - most popular: Gompertz, Logistic

$$\frac{dV(t)}{dt} = r(t)V(t) \quad \frac{dr(t)}{dt} = -r \times r(t) \quad \text{Gompertz}$$



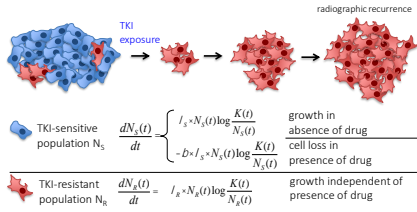
Targeted Agent Effect Models

- Similar to chemo, but need something additional → resistant sub-populations
- Modeling more sensitive to exact growth models
- Resistance development
 - Mathematical formulation based on work in bacteriology (Luria & Delbruck)
 - Used stochastic processes with a differentiation hierarchy to represent sensitive & resistant cells



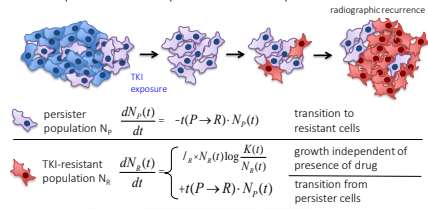
Modeling Resistance

- Pre-Existing Resistance

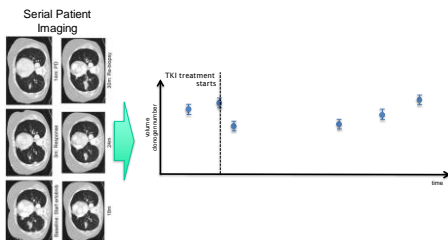


Modeling Resistance

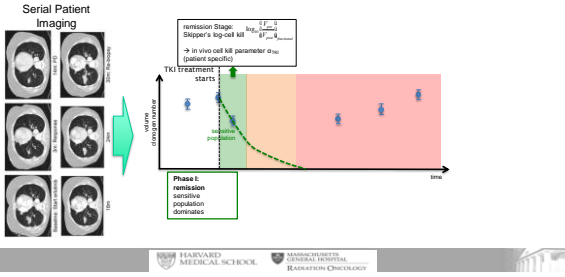
- Pre-Existing Resistance
- Acquired Resistance (Persister-Evolution)



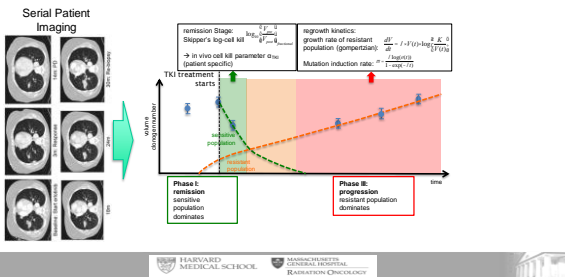
Modeling Resistance – Tumor Growth Trajectories



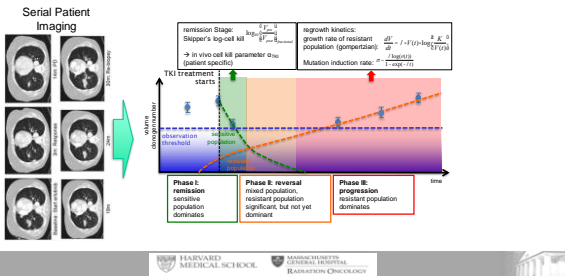
Modeling Resistance – Tumor Growth Trajectories



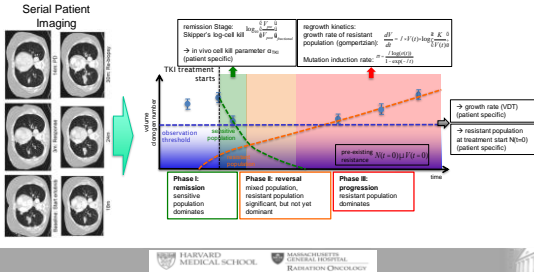
Modeling Resistance – Tumor Growth Trajectories



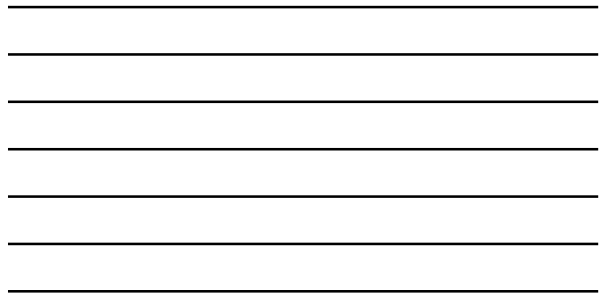
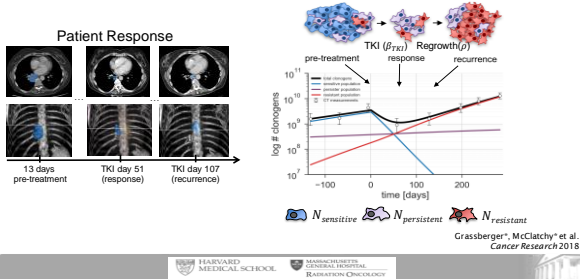
Modeling Resistance – Tumor Growth Trajectories



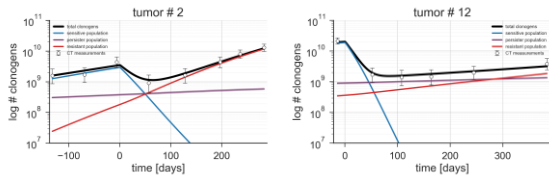
Modeling Resistance – Tumor Growth Trajectories



Modeling Resistance – Tumor Growth Trajectories



Modeling Resistance – Tumor Growth Trajectories

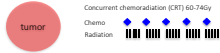


- Based on macroscopic tumor volume trajectories, we can estimate the dynamics of persister/resistant cells during treatment with targeted agents



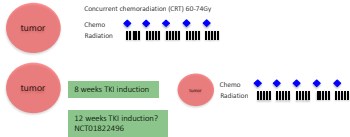
Rationale for Modeling

- Targeted agents currently only used in a stage IV setting
- Targetable mutations also exist in stage III disease



Rationale for Modeling

- Targeted agents currently only used in a stage IV setting
 - Targetable mutations also exist in stage III disease
- NCT01553942 – the ASCENT trial



Rationale for Modeling

- Scenario I: TKI induction– TKI serves as clonogen reduction to support CRT



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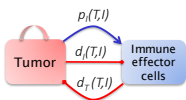
Immuno – RT modeling



$$\frac{dT}{dt} = r(t) \times T$$



Immuno – RT modeling



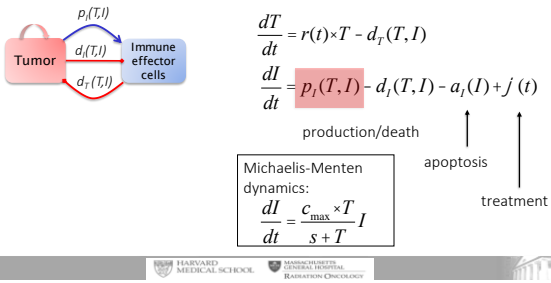
$$\frac{dT}{dt} = r(t) \times T - d_t(T, I)$$

$$\frac{dI}{dt} = p_i(T, I) - d_i(T, I) - a_i(I) + j(t)$$

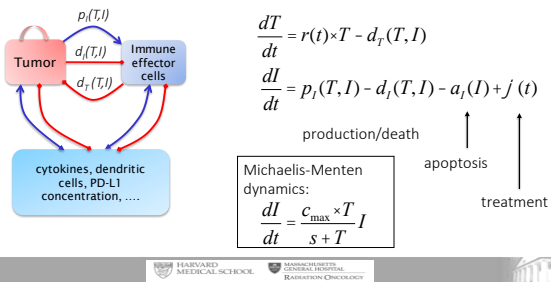
production/death ↑ ↑
 apoptosis ↑
 treatment



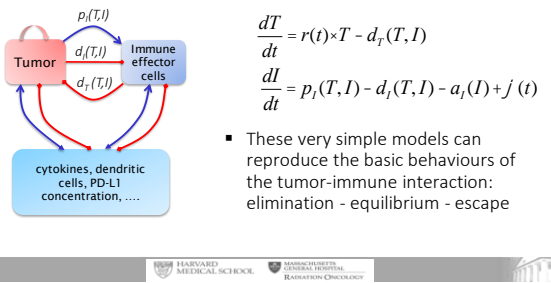
Immuno – RT modeling



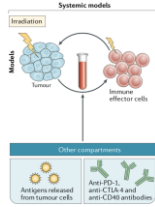
Immuno – RT modeling



Immuno – RT modeling



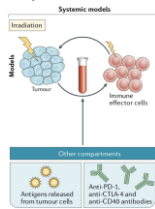
Systemic vs Regional-Interacting Models



Grassberger et al. *Nat Rev Clin Onc* 2018



Systemic vs Regional-Interacting Models

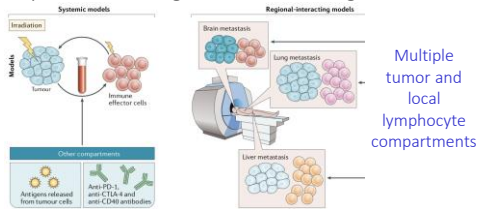


Wonmo Sung
"Modeling of Tumor and Immune Cell Interactions in Hepatocellular Carcinoma Patients treated with RT"

Grassberger et al. *Nat Rev Clin Onc* 2018



Systemic vs Regional-Interacting Models

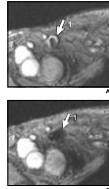


Grassberger et al. *Nat Rev Clin Onc* 2018



Imaging the Immune Response

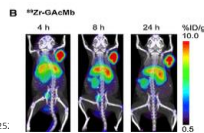
- MRI
 - Several magnetic contrast agents for visualizing the immune response
 - superparamagnetic iron oxide nanoparticles (SPION)
 - 2 major shortcomings:
 - Low sensitivity - if population of interest is low density ...
 - direct quantification of signal (e.g. molar concentration of contrast agents) can be difficult



Bulte et al. NMMI 2009

Imaging the Immune Response

- MRI
- SPECT /PET
 - preclinical studies have reported successful imaging of T and B cell populations using radiotracer-labeled anti- T and anti-B cell antibodies, or antibody fragments



Zettlitz et al. 2017 Clin Cancer Res 23, 7242-725.

Imaging the Immune Response

- MRI
- SPECT /PET

Assessing the interactions between radiotherapy and antitumour immunity

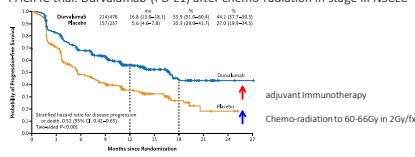
Clemens Grassberger^{1*}, Susannah G. Ellsworth², Moses Q. Wilks³, Florence K. Keane¹ and Jay S. Loeffler¹

The Case for Immunotherapy-RT Modeling



The Case for Immunotherapy-RT Modeling

- Immune checkpoint inhibitors → stage III NSCLC
- PACIFIC trial: Durvalumab (PD-L1) after chemo-radiation in stage III NSCLC



- (concurrent) chemo-radiation is optimized for maximum cell kill, not maximum immune response



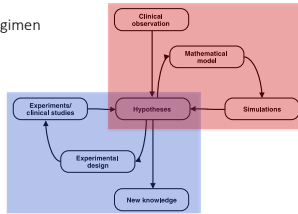
Summary I

- Dynamic models of tumor development and therapy effect enable connection to serial imaging analyses
- Combining RT with targeted agents requires new approaches & extended models
 - Growth – realistic growth models due to longer time frames
 - Resistance – emergence of completely resistant sub-populations
- shifting aims – is the purpose of the RT regimen either to
 - maximize cell kill OR
 - minimize resistance development (to EGFR/ALK/ROS inhibitor)
- Essential for their inclusion in stage III, raises interesting question/trade-off:
 - is RT there to support the agent or the other way round?



Introduction

- Optimization plays a large role in radiotherapy: delivery, fractionation, target dose, OAR tradeoffs
- Emerging role in design of drug regimen (example to follow)
- General aim: introduce *clinically applicable* models to help in trial design & patient-specific treatment adaptation



[1] Gallasch et al. 2013, Journal of Clinical Bioinformatics 2:23

Overview over Clinical Studies

- Additive Effects:
 - Head and Neck: 7-12 Gy
 - Anal Cancer: 4-8 Gy
 - Cervical Cancer: 0.5-8 Gy
- radiosensitization factors: 1.2-1.35 in pancreas & bladder

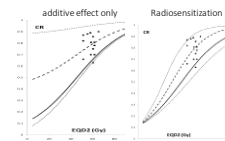
Table 3. Quantified chemotherapy contributions either as chemo-equivalent radiation dose or as radiosensitization factor.

Source	Site	Effect type	Effect of chemotherapy
Platanitis and Dale (2008)	Cervix	Independent action	Equivalent to 0.4-8 Gy in 2 Gy fractions, depending on tumor radiosensitivity
Kashiballa et al (2007) and Fowler (2008)	Head and neck	Independent action	Equivalent to 8.8 Gy ₁₀ or 7.8 Gy ₁₀ in 2 Gy fractions
Morera et al (2014)	Pancreas	Sensitization only	Radiosensitization factor 1.18-1.35
Platanitis and Dale (2014)	Bladder	Independent action or sensitization	Equivalent to 36.3 Gy in 2 Gy fractions or radiosensitization factor of 1.3
Durante et al (2015)	Pancreas	Independent action	Equivalent to 96 Gy ₁₀
Hartley et al (2016)	Head and neck	Independent action	Equivalent to 9.3 Gy ₁₀ for tumor and 6.4 Gy ₁₀ for normal
Petti et al (2013)	Head and neck	Independent action	Equivalent to 3-12.7 Gy ₁₀ , depending on chemotherapy regimen
Petti et al (2013)	Anal	Independent action	Equivalent to 4.1 Gy ₁₀ for 5-FU and 9.1 Gy ₁₀ for MMC/5-FU

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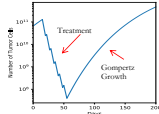
Overview over Clinical Studies

- Additive Effects:
 - Head and Neck: 7-12 Gy
 - Anal Cancer: 4-8 Gy
 - Cervical Cancer: 0.5-8 Gy
- radiosensitization factors: 1.2-1.35 in pancreas & bladder
- Main Challenge: low "dimensionality" of clinical outcome data makes fitting of complex models difficult



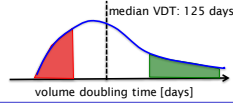
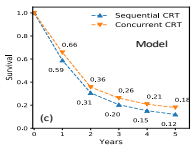
Overview over Clinical Studies

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- Main Challenge: low "dimensionality" of clinical outcome data makes fitting of complex models difficult
- One solution: use the whole survival curve, or even patient-level data to inform models
- dynamic models of clonogenic growth



Concurrent vs Sequential CRT

- Idea: to combine radiation-only & chemo-only models → derive in-vivo radiosensitization factor
 - Difference between concurrent and sequential explained by shorter treatment time
- stratify the patients by growth rate results in variable difference between sequential and concurrent CRT



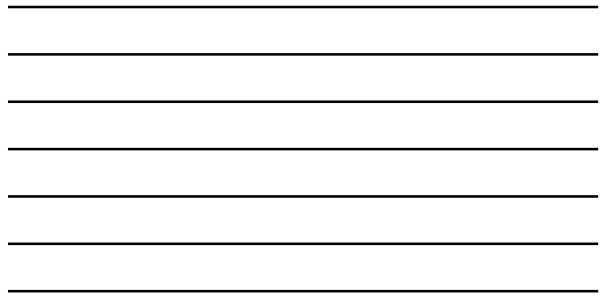
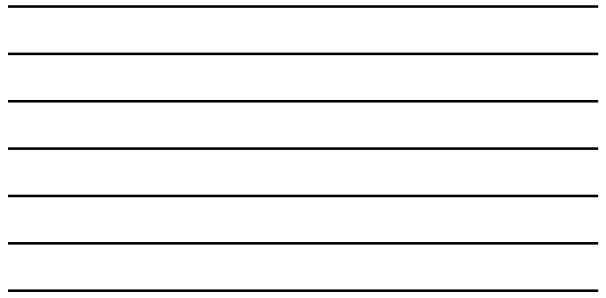
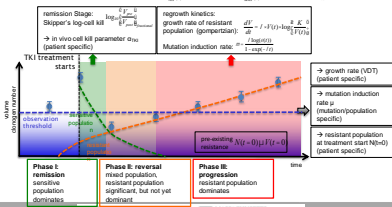
survival benefit concurrent vs sequential at 5 years	
top quartile	14.1%
bottom quartile	0.9%



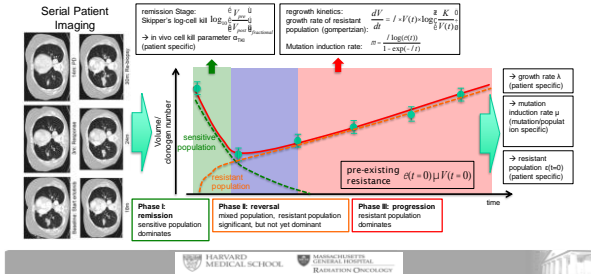
dynamics of resistance

sensitive population $\frac{dN_s(t)}{dt} = \lambda N_s(t) \log \frac{K(t)}{N_s(t)} - \mu N_s(t) \log \frac{K(t)}{N_s(t)} + \mu N_r(t) \log \frac{K(t)}{N_s(t)} - \lambda N_r(t) \log \frac{K(t)}{N_s(t)}$

resistant population $\frac{dN_r(t)}{dt} = \lambda N_r(t) \log \frac{K(t)}{N_r(t)} - \mu N_r(t) \log \frac{K(t)}{N_r(t)} + \mu N_s(t) \log \frac{K(t)}{N_r(t)}$

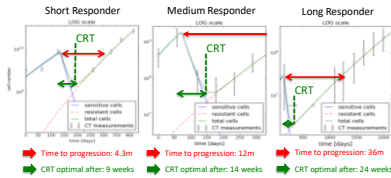


Modeling Resistance – Tumor Growth Trajectories



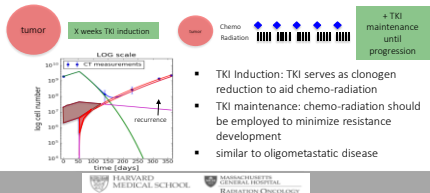
Rationale for Modeling

- Targeted agents currently only used in a stage IV setting
- Targetable mutations also exist in stage III disease
- Application: to find optimal induction lengths for stage III patients (patient-specific?)



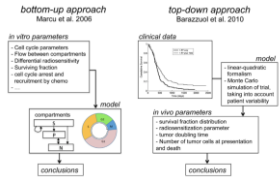
Rationale for Modeling

- Targeted agents currently only used in a stage IV setting
- Targetable mutations also exist in stage III disease
- Application: to find optimal induction lengths for stage III patients (patient-specific?)
- Maintenance therapy



Modeling Therapy

- Two typical methods to develop a mathematic model



Which approach is advisable depends on the research question and available data at hand, but generally it is assumed that:

- top-down approaches yield parameters that are closer to the in vivo situation,
- bottom-up models allow for more extrapolation outside of current clinical experience.

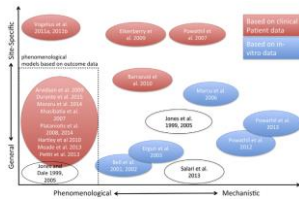
Grassberger & Paganetti, PMB 2016



Types of Modeling Approaches

- Two "axes" on which models can be distinguished:
 - General <-> Site-Specific
 - Phenomenological <-> Mechanistic

- Models parameterized using
 - in vitro data
 - clinical patient data



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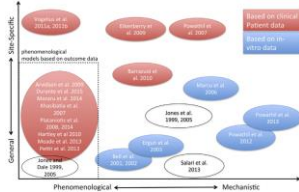


Types of Modeling Approaches

- Two "axes" on which models can be distinguished:
 - General <-> Site-Specific
 - Phenomenological <-> Mechanistic

- Models parameterized using
 - in vitro data
 - clinical patient data

- Focus on clinical applicability
 - phenomenological models based on outcome data



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