


Assessment of Image Quality in The New CT

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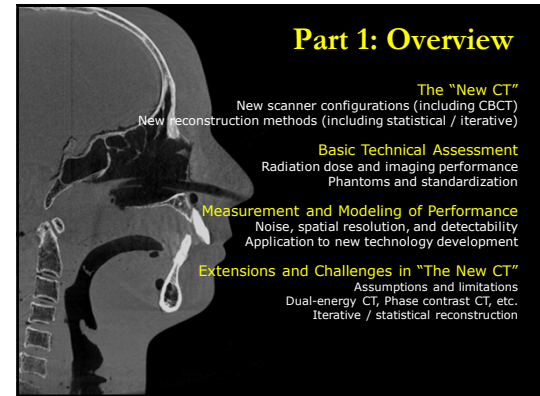
Acknowledgments

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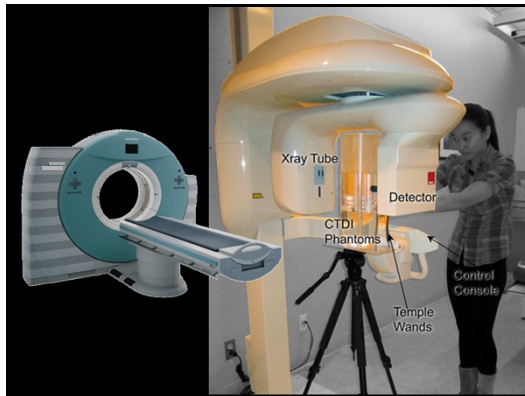
Part 1: Overview

The "New CT"
New scanner configurations (including CBCT)
New reconstruction methods (including statistical / iterative)

Basic Technical Assessment
Radiation dose and imaging performance
Phantoms and standardization

Measurement and Modeling of Performance
Noise, spatial resolution, and detectability
Application to new technology development

Extensions and Challenges in "The New CT"
Assumptions and limitations
Dual-energy CT, Phase contrast CT, etc.
Iterative / statistical reconstruction



Basic Technical Assessment

- Radiation Dose**
Farmer chamber + 16 cm cylinder
Short-scan protocols
- Quantitative Accuracy**
Electron density inserts
Comparison to MDCT
- Contrast Resolution**
Low-contrast tissue inserts
SDNR versus kVp, mAs
- Spatial Resolution**
Line-pair pattern (subjective)
Modulation transfer function (MTF)
- "Clinical" Image Quality**
Anthropomorphic phantoms
Expert readers

J Xu et al. Med. Phys. (in press - August)

Basic Technical Assessment

- Radiation Dose**
Farmer chamber + 16 cm cylinder
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Basic Technical Assessment

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Farmer chamber + 16
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Spatial Resolution
Line-pair pattern (subjective)
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Basic Technical Assessment

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Basic Technical Assessment

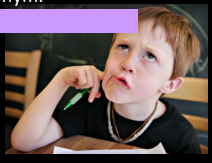
"Clinical" Image Quality
Anthropomorphic phantoms
Expert readers (sanity check)

J Xu et al. Med. Phys. (in press - August)

Checking for Pulse...

Why don't we use a 10 cm pencil ionization chamber to measure dose in cone-beam CT?

- 30% 1. The dose is too high.
- 13% 2. The dose is too low.
- 7% 3. The field is longer than the chamber.
- 20% 4. CBCTDI is a clumsy acronym.
- 30% 5. We do.



Checking for Pulse...

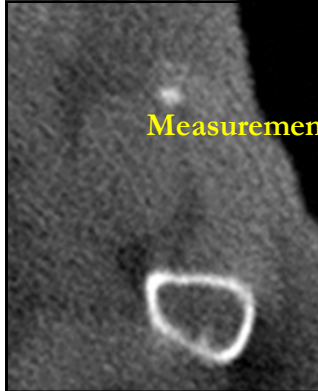
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AAPM Task Group 111
www.aapm.org/pubs/reports/ (Feb 2010)

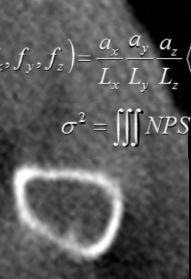
Measurement & Modeling

Noise
Spatial Resolution
Detectability



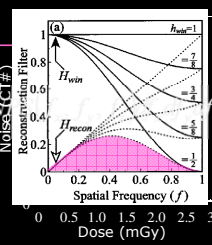
Measuring the Noise Noise-Power Spectrum

$$NPS(f_x, f_y, f_z) = \frac{a_x a_y a_z}{L_x L_y L_z} \langle |DFT\{\Delta I(x, y, z)\}|^2 \rangle$$

$$\sigma^2 = \iiint NPS(f_x, f_y, f_z) df_x df_y df_z$$


Measuring the Noise Noise-Power Spectrum

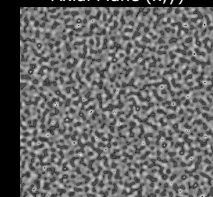
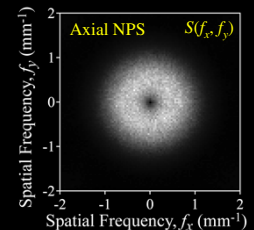
$$\sigma^2 = k_E \frac{1}{D_o} \frac{K_{xy}}{a_{xy}^3} a_z \iiint NPS(f_x, f_y, f_z) df_x df_y df_z$$

$$\sigma \propto \sqrt{\frac{1}{D_o}} \propto \sqrt{\frac{1}{a_{xy}^3}} \propto \sqrt{\frac{1}{a_z}}$$


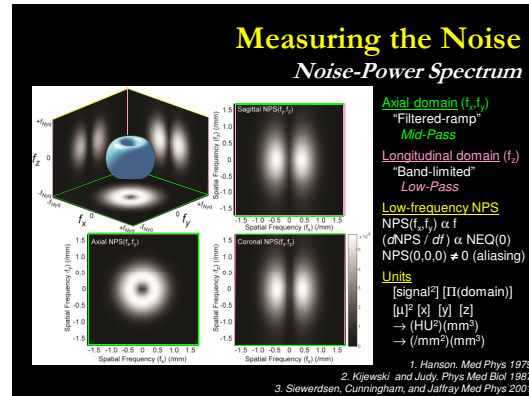
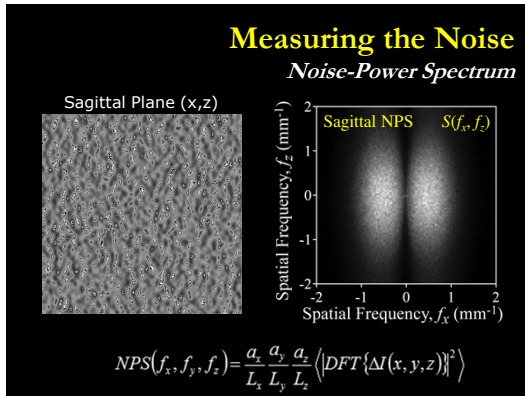
Barrett, Gordon, and Hershel (1976)

Measuring the Noise Noise-Power Spectrum

Axial Plane (x,y)

$$NPS(f_x, f_y, f_z) = \frac{a_x a_y a_z}{L_x L_y L_z} \langle |DFT\{\Delta I(x, y, z)\}|^2 \rangle$$



Sanity Check

What is wrong with analyzing the local NPS from a single axial slice in cone-beam CT?

- 27% 1. The magnitude is wrong.
- 13% 2. The units are wrong.
- 13% 3. Ignores correlation in the z direction.
- 20% 4. Would overestimate the NEQ.
- 27% 5. All of the above.

Sanity Check

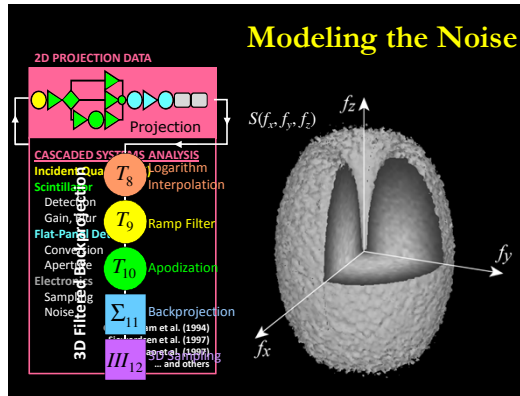


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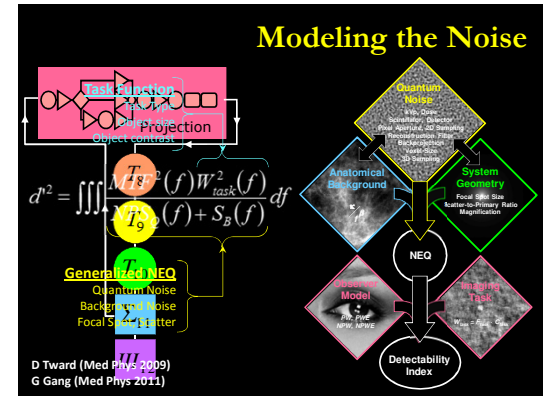
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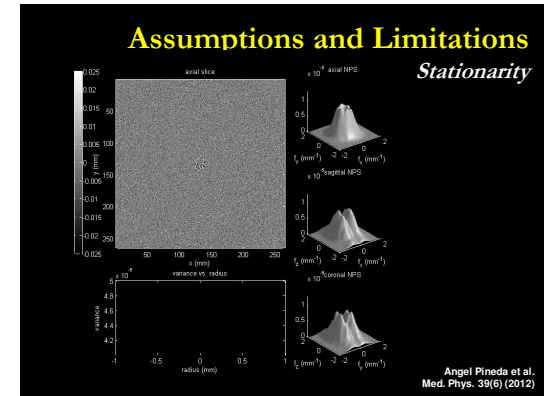
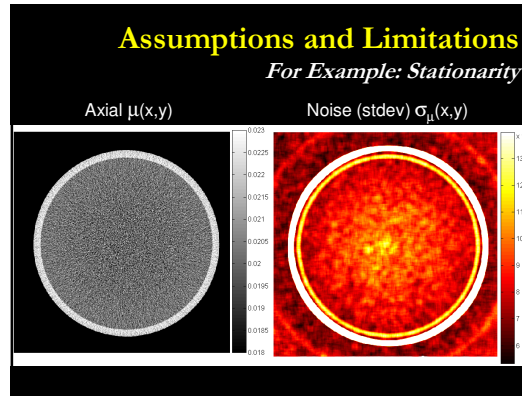
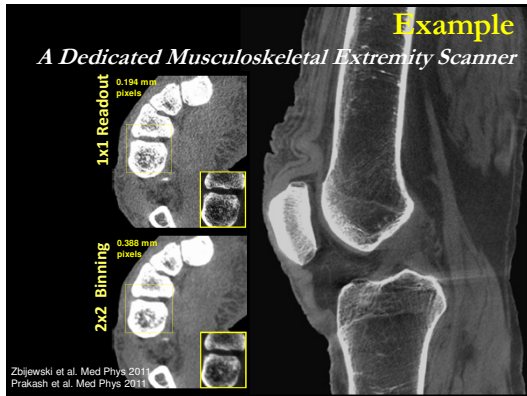
Siewerdsen, Jaffray, and Cunningham
Med Phys 29(11) (2002)

Modeling the Noise



Modeling the Noise





Modeling Noise Stationarity

Example
 CSA model for NPS
 H₂O cylinder (16 cm)
 No bowtie filter
 Polyenergetic beam
 90 kVp
 1 mGy
 360 views
 360° orbit
 FBP

Extensions of the Models Non-Linear Reconstruction Algorithms

For example: Penalized Likelihood

Forward model:

$$\bar{y}(\mu) = I_0 \exp(-A\mu)$$
 Measurements (y) → Number of photons (μ) → Projection Operator (A) → Object Volume (μ)

Log-likelihood estimator:

$$\hat{\mu} = \operatorname{argmax}_{\mu} \Phi(\mu; y) = \operatorname{argmax}_{\mu} [\log L(\mu; y) - \beta R(\mu)]$$
 Maximum Likelihood (log Likelihood) → Regularization Term (R)

Noise and spatial resolution are *object-dependent* and *spatially variant*
 However, *local covariance properties* can still be estimated:

$$[\operatorname{Cov}(\hat{\mu})]_{ij} = [R(\hat{\mu}) + R]^{-1} A^T \operatorname{Cov}(y) A [R(\hat{\mu}) + R]^{-1} \sigma_j$$

Measurement Covariance Regularization Covariance
Weighted Projection-Backprojection Operator β (Noise Variance)

Fessler et al. IEEE-TIP (1996)
 J Web Stayman et al. AAPM (2010)

Modeling Noise Stationarity

Example
 Estimator model for NPS
 H₂O ellipse (32x16 cm)
 No bowtie filter
 Mono-energetic beam
 H₀ = 0.018mm⁻¹
 1 mGy
 360 views
 360° orbit
PL reconstruction
 Quadratic penalty
 I₀ = 5x10⁵
 β = 5x10⁷



Modeling Noise Stationarity

Example
 Estimator model for NPS
 H₂O ellipse (32x16 cm)
 No bowtie filter
 Mono-ener

Extensions of the Models

2D, 3D, Dual-Energy, Phase Contrast, ...

DE Radiography

Richard et al.
Ducote et al.

Tomosynthe

Zhao et al.
Glick et al.

Cone-Beam CT

Tward, Gang et al.

DE CBC

Osting et al.

Phase Contrast

Fredenberg et al.
Tang et al., Chen et al.

Waiter, Check Please...

CT image noise is non-stationary:

- 27% 1. due to variation in N_{photons} at the detector.
- 23% 2. due to a finite number of projections.
- 13% 3. due to the cone-beam effect.
- 17% 4. but we can still model the local NPS.
- 20% 5. All of the above.

Waiter, Check Please...



CT image noise is non-stationary:

1. due to variation in N_{photons} at the detector.
2. due to a finite number of projections.
3. due to the cone-beam effect.
4. but we can still model the NPS.
5. **All of the above.**

Baek et al. Med Phys 37(5) (2010)
Pineda et al. Med Phys 39(6) (2012)

CT Imaging Performance

The System Design Perspective

Technical Assessment

Must account for complexities in **scanner configuration**

For example, Cone-Beam CT:

- Dose measurement
- Fully 3D spatial resolution and noise characteristics

Must account for complexities in **reconstruction methods**

For example, statistical / iterative reconstruction

- Nonlinearity: spatial resolution dependent on signal
- Nonstationarity (may be better or worse than FBP)

Must acknowledge **assumptions and limitations of the metrics**

For example: LOCALITY

Technology Development

Strengthened by a foundation in imaging physics
Accelerates translation to clinical application

Extension to New Techniques

New modalities (PCXD, PCCT, etc.) and algorithms (model-based)
New challenges for modeling and measurement standards

