



Potentials for Dual-energy kV/MV On-board Imaging and Therapeutic Applications

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Specific Objectives

- Development of a novel on-board imaging technique which allows generation of virtual monochromatic (VM) CBCT from combined polychromatic kV/MV beam projections
- Evaluation of the effectiveness of dual-energy CBCT for artifact reduction



Introduction



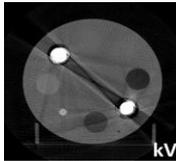
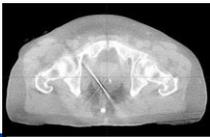
- Onboard kV imaging
 - Good soft tissue contrast and clinically available
 - Less penetrating and more metal artifacts
- Onboard MV imaging
 - Less attenuation and less metal artifacts
 - Poor soft tissue contrast
- Can we take advantages of both kV and MV imaging?
 - Monochromatic energy (replace polychromatic energies)
 - Aggregated kV/MV projections



Introduction



- Conventional CBCT suffers artifacts: large object, metal,...
- Dual-energy technique can be used to reduce artifacts and photon starvation in kV ranges
- The research of applying dual-energy imaging technique into CBCT and kV/MV is still limited



Method: Dual Energy Imaging Principle



- In diagnostic x-ray energy range, the attenuation coefficient of a material can be decomposed into a photoelectric component and a Compton scatter component
- These two components are difficult to measure independently and are practically approximated with two basis materials, one with relatively high atomic number Z and the other with relatively low Z
- At a given energy, the high Z and low Z material have different composition of photoelectric effect and Compton scatter, which can be differentiated using dual-energy



Method: Dual Energy Imaging Principle

- Two measurements I_L and I_H acquired with monochromatic beams at two different energies E_L and E_H can be therefore expressed as,

$$\begin{cases} \ln(I_L/I_0) = -x_A\mu_A(E_L) - x_B\mu_B(E_L) \\ \ln(I_H/I_0) = -x_A\mu_A(E_H) - x_B\mu_B(E_H) \end{cases}$$

From these two equations

$$\begin{bmatrix} x_A \\ x_B \end{bmatrix} = \begin{bmatrix} -\mu_A(E_L) & -\mu_B(E_L) \\ -\mu_A(E_H) & -\mu_B(E_H) \end{bmatrix}^{-1} \begin{bmatrix} \ln(I_L/I_0) \\ \ln(I_H/I_0) \end{bmatrix}$$



Method: Dual Energy Imaging Principle

- Generalizations for polychromatic beams with low-energy spectrum $S_L(E)$ and high energy spectrum $S_H(E)$,

$$\begin{cases} \ln(I_L/I_0) = \int S_L(E)[-x_A\mu_A(E) - x_B\mu_B(E)]dE \\ \ln(I_H/I_0) = \int S_H(E)[-x_A\mu_A(E) - x_B\mu_B(E)]dE \end{cases}$$

- This involves integrals over the beam energy spectrum. In practice, it is difficult to have analytical solutions



Method: Dual Energy Imaging Principle

- An approximate solution proposed by Cardinal et al:

$$x_A = \frac{a_0 + a_1L + a_2H + a_3L^2 + a_4LH + a_5H^2}{1 + b_0L + b_1H}$$

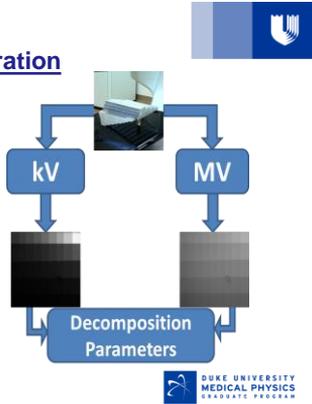
$$x_B = \frac{c_0 + c_1L + c_2H + c_3L^2 + c_4LH + c_5H^2}{1 + d_0L + d_1H}$$

- > where $L = -\ln(I_L/I_0)$ and $H = -\ln(I_H/I_0)$
- > The parameters a_i, b_j, c_i, d_j ($i = 0 \sim 5, j = 0, 1$) can be experimentally determined and used for dual-energy imaging

- Alvarez and Macovski, Energy-selective reconstructions in X-ray computerized tomography, *Physics in Medicine and Biology*, 1976. 21(5): p. 733-44
- Zou and Silver, Analysis of fast kV-switching in dual energy CT using a pre-reconstruction decomposition technique. Vol. 6913. 2008: SPIE. 691313



Methods: Beam Calibration



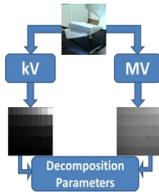
Methods: Beam Calibration

To get x_A and x_B , we use the approximate solutions:

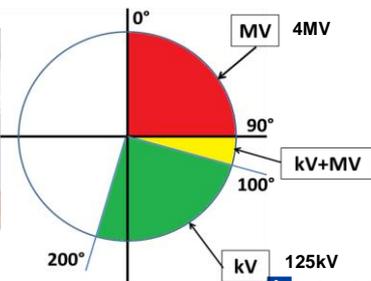
$$x_A = \frac{a_0 + a_1 L + a_2 H + a_3 L^2 + a_4 LH + a_5 H^2}{1 + b_0 L + b_1 H}$$

$$x_B = \frac{c_0 + c_1 L + c_2 H + c_3 L^2 + c_4 LH + c_5 H^2}{1 + d_0 L + d_1 H}$$

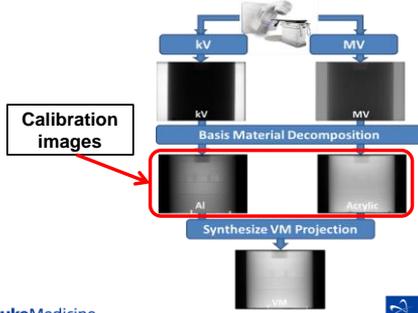
where
 $L = -\ln(I_{kV}/I_0)$
 $H = -\ln(I_{MV}/I_0)$



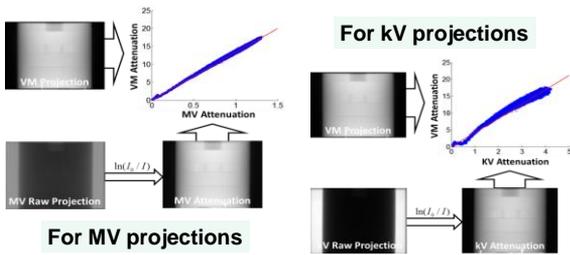
Methods: Acquisition Scheme



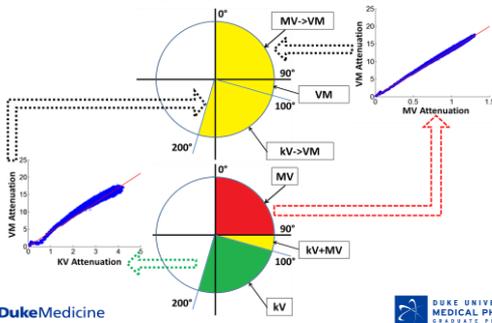
Methods: VM Projection Generation



Methods: Attenuation Conversion



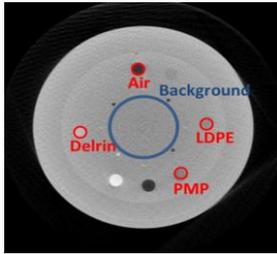
Methods: VM Projection Generation



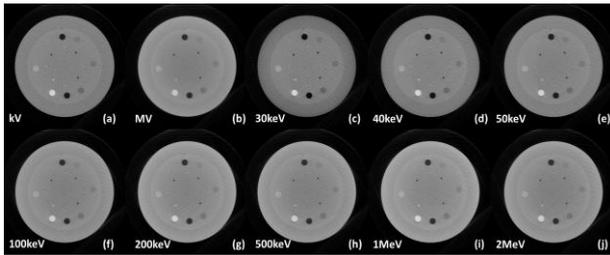
Evaluation: Effect of VM Energy

$$CNR = \frac{|S_{ROI} - S_B|}{\sigma_B}$$

S_{ROI} - Average background
 S_B - Each ROI
 σ_B - Standard Deviation



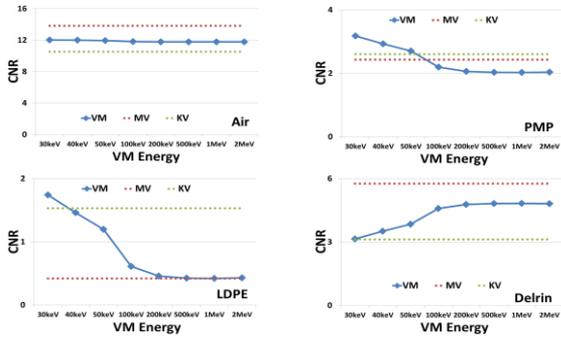
Results: Effect of VM Energy



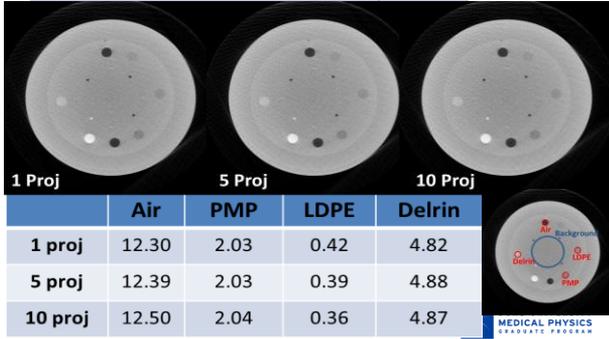
Window: [-1000 1000]



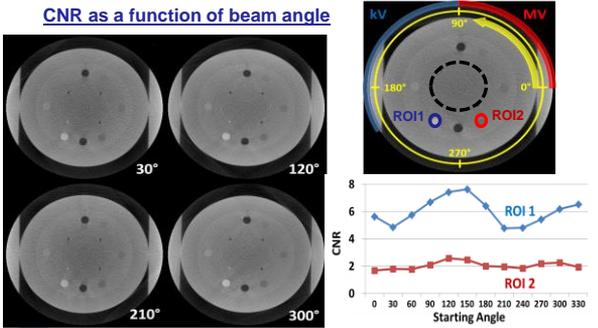
Results: Effect of VM energy



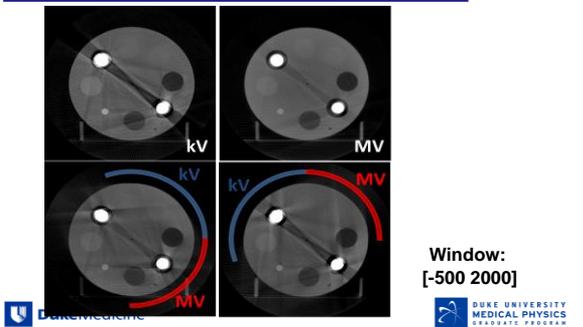
Results: Effect of Overlap Projections



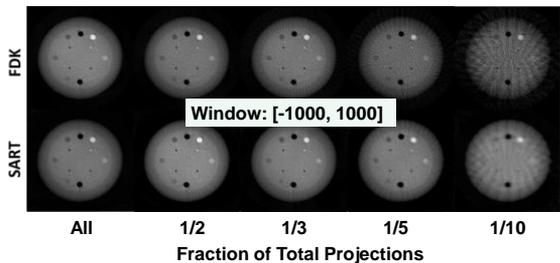
Results: Effect of Beam Orientation



Results: Effect of Beam Orientation



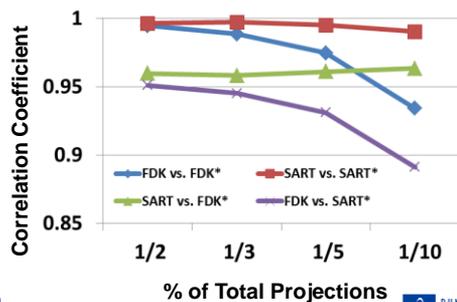
Results: Effect of Iteration Reconstruction



SART: Simultaneous algebraic reconstruction techniques



Results: Effect of Iteration Reconstruction



Conclusion

- A novel aggregate technique was proposed to generate VM CBCTs from kV/MV projections.
- CNR improvement depend on the selection of VM energies and the material.
- For the CatPhan study, one overlap projection can suffice to generate CBCT images.
- The favored orientations for kV/MV beams are
 - MV beam through heavy attenuation direction
 - kV beam through light attenuation direction